

The Discriminant
"Nature of the Roots"

$d=0$ (1 real root)
 $d<0$ (2 imaginary roots)
 $d>0$ (2 real roots)



Taking the Roots

$$\begin{aligned} x^2 &= 36 \\ \sqrt{x^2} &= \sqrt{36} \\ x &= \pm 6 \end{aligned}$$

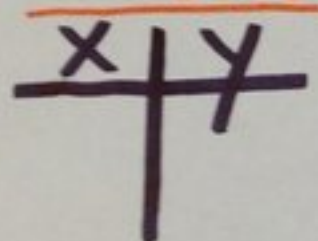
Quadratic Formula

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

Factoring

$6x^2 + x - 4 = 0$ $(2x-1)(3x+4) = 0$ $x = \frac{1}{2}, x = -\frac{4}{3}$	$16x^2 - 81 = 0$ $(4x-9)(4x+9) = 0$ $x = \pm \frac{9}{4}$
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Tables

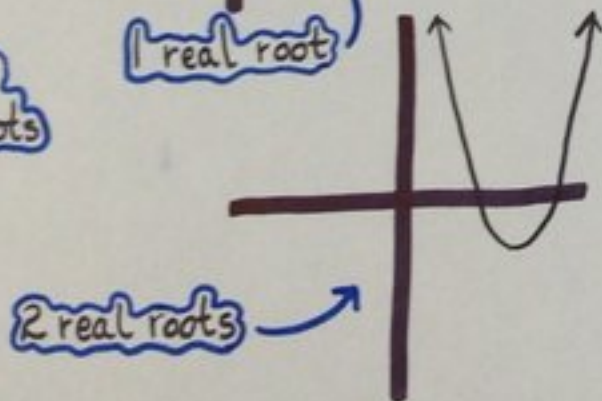
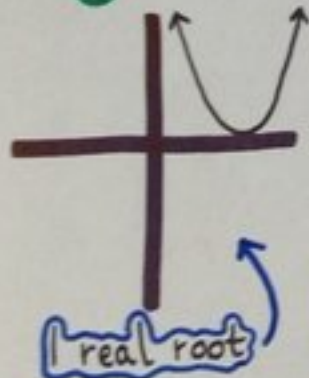


SOLVING A QUADRATIC EQUATION

Completing the Square

$$\begin{aligned} x^2 - 10x + 3 &= 0 \\ x^2 - 10x &= -3 \\ x^2 - 10x + 25 &= -3 + 25 \\ (x-5)^2 &= 22 \\ \sqrt{(x-5)^2} &= \sqrt{22} \\ x-5 &= \pm \sqrt{22} \\ x &= 5 \pm \sqrt{22} \end{aligned}$$

Graphing



Remember! No matter the method chosen, it all connects back to Roots, Solutions, Zeros, & X-intercepts.

